

ELIMINATION OF HIGH DENSITY IMPULSE NOISE USING DISTANCE BASED ADAPTIVE MEAN FILTER ALGORITHM

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ABSTRACT

A distance based adaptive mean filter method for the re-establishment of gray-scale images that are highly corrupted by impulse noise, is proposed in this paper. This method efficiently removes the impulse noise. This technique differentiates between corrupted and uncorrupted pixels and performs the filtering process only on the corrupted ones. This paper proposes a two-stage system for eliminating impulse noise. In the first stage, a filter is used to identify some of the corrupted pixels and the pixels are replaced using the mean filter. In the second phase, in the resulted image rest of the corrupted pixels are detected and restored using an adaptive mean method that applies only to those selected corrupted pixel. The proposed algorithm is analyzed for different grayscale images such as Lena images and house images. It provides a better peak signal to noise ratio (PSNR in dB) and MSE (dB) than othertechniques with a noise level as high as 95%.

Keywords: *Impulse Noise, PSNR, MSE and Distance Based Adaptive Mean Filter*

I. INTRODUCTION

NoiseFiltering isavitalpre-processingstep in imageprocessing. The fundamental steps in digital image processing can beperformed some techniques like image segmentation,imagecompression,andtexture analysis.[1]Noiseoften occursin Images during Imageacquisition,transmission, reception and image storageorretrievalprocesses.This degrades the quality ofimage.It shows the poor resultand unpleasantvisual image. Soitisessential toremovenoise [1]. Different authors have tried different method to eliminate the noise such as standard Median Filter[2], Centre weighted median filter[3], progressive switching median filter[4], open-close sequence[5], Decision Based Algorithm[6] and Modified Decision based Un-symmetric Trimmed Median Filter[7] etc. The standard median filter has a advantages to remove impulse noise without affecting the edge information. However, the main shortcoming of SMF [2] is that the filter is effective only at low noise densities. The Centre weighted median filter (CWMF) and progressive switching median filter (PSMF) algorithms are good performance at the lower noise density because of less numbers of the noisy pixels. These corrupted pixels are replaced with the median values [3-4]. In open-close sequence (OCS) [5] algorithm is based on mathematical morphology. It is suitable only for high density impulse noise up to 80%.The main disadvantage of this algorithm is that filter is not good in very low noise density as well as in very high noise density. In Decision Based Algorithm (DBA) [6], is based on a threshold value. Modified Decision based Un-symmetric Trimmed Median Filter (MDBUTMF) [7] performs well on both densities (Low and

high). At high noise densities, if the selected window contains all 0's or 255's or both then the processing pixel is replaced by mean value of the selected window. The algorithm fails if all the elements within the window are '0' or '255' then the mean value will be '0' or '255' hence noisy pixel will not be efficiently processed. The paper is systematized as follows. In Section II, First distance based adaptive mean filter algorithm is discussed and also we explain our proposed method for determining the components of interest. Section III describes the experimental results and discussion with different grayscale images. Finally in Section IV; the conclusion is drawn.

II. PROPOSED ALGORITHM

In the proposed approach first decide the window size. Then take a window of the given size in the image and if the center pixel is 0 or 255 find the distance d_{ij} between the center pixel and the neighboring pixels

$P(x-1,y-1)$	$P(x-1,y)$	$P(x-1,y+1)$
$P(x,y-1)$	$P(x,y)$	$P(x,y+1)$
$P(x+1,y-1)$	$P(x+1,y)$	$P(x+1,y+1)$

Fig: 1 Window of 3*3

Where,

$$d_{ij} = |P_{x+i,y+i} - P_{xy}|$$

If an image is affected by impulse noise it will have a sudden high or low intensity values which will affect the original image. The noise can be salt (255) or pepper (0). In the noisy image the pixel values in the range 0 to 255 will be uncorrupted pixels and the pixels equal to 0 or 255 may be corrupted or uncorrupted.

To check whether the given pixel is corrupted or not, Consider the distance between the present pixel and the neighbor- hood pixels If the center pixel is uncorrupted then there will be some pixels which are in the same range as the present pixel, so the distance between them will be low . Wherever a pixel which is different from the rest of the pixels, i.e. More distance from the neighboring pixels will probably indicate corrupted pixel.

Example:

60	0	0	159	154	143	197	0
60	255	159	0	146	154	218	254
60	159	160	156	255	0	234	254
60	0	160	255	151	172	246	254
61	160	157	147	156	255	252	254
59	161	255	255	0	255	254	0
60	158	145	159	255	209	0	0

Fig 2: Pixel Intensity Values

In the above image by calculating the distance between the neighboring pixels and the pixels in the yellow and the red box we can decide whether they are corrupted or not. For red box we get differences as,

$$d = \{95, 99, 0, 95, 104, 98, 108, 99\}$$

So if we keep threshold $T=30$ and $n=4$ this pixel will be marked as corrupted and in the same way for yellow box, we get differences as,

$$d = \{104, 83, 9, 99, 3, 255, 0, 1\}$$

This will be marked as uncorrupted. We added a second stage even though first stage works well for low-noise densities because at high densities (densities ranging from 80 to 95 %) the pixel values presented in the image will be mostly noisy. So first stage will not replace all the corrupted pixels. In the second stage of the algorithm, Consider the output image of the first stage now it will have less noise than the original image then again we will apply the same approach to detect the corrupted pixel. After detecting the corrupted pixel the pixel will be replaced by adaptive mean of the mask instead of normal mean. The adaptive mean will be calculated by using members of the mask other than 0 or 255. If all the members of the mask are only (0 or 255) then we will replace the pixel with the last modified pixel.

The steps of the proposed technique are elucidated as follows:

1. Select a window (W) of size 3*3 in the image
2. If the Center pixel P_{xy} is between 0 and 255 then go to *step1* otherwise go to *step3*
3. Calculate the absolute distance d_{ij} between the center pixel P_{xy} and the neighboring pixels.
4. Count how many pixels are satisfying the equation $d_i > th$
5. If Count (c) is greater than n then mark the middle pixel as noisy and go to next step otherwise go to *step7*
6. Now replace P_{xy} with mean of the window
7. Shift the window to the next pixel and Go to *step1*

Now on the resulted Image

8. repeat *steps 1 to 5* if the center pixel is noisy go to next step otherwise go to *step7*
9. Replace the middle pixel with the adaptive mean

$$\text{i.e. } A = \{P; P \neq 0, 255\}$$

$$P_{xy} = \text{mean}(A)$$

If all the elements in A are 0 or 255 then replace P_{xy} with the last processed pixel.

10. Shift the window to the next pixel and Go to step 8

III. EXPERIMENTAL RESULTS AND DISCUSSION

The proposed algorithm is tested with different gray scale images by varying the noise intensity from 10% to 95%. The performance of our proposed algorithm is analyzed by PSNR (dB) and MSE (dB) values.

$$PSNR = 10 \times \log_{10} \left(\frac{255^2}{MSE} \right)$$

$$MSE = \frac{1}{N_1 \times N_2} \sum_{i=1}^{N_1} \sum_{j=1}^{N_2} (x(i, j) - \hat{x}(i, j))^2$$

Where $N_1 \times N_2$ is the size of the image, x denotes the original image and \hat{x} represents the noisy image.

The gray scale images of Lena corrupted with Impulse noise is considered as test images. As in the traditional median filters applying median for every pixel leads to loss of information. In CWMF and PSMF [3-4] they are able to detect corrupted and uncorrupted pixels at low density noise only. In our proposed scheme, we are discriminating between the corrupted and uncorrupted pixels with high probability even at high densities because of the two stage method we used. It leads to better results.

Figure 5-7, shows the results of different methods in de-noising a 80% and 95% impulse noise corrupted Lena image. The PSNR (dB) and MSE (dB) values of the proposed method are compared against the previous methods by changing the noise densities from 10 to 95% .They are shown in Table 1 and 2. The computational time in seconds of proposed method by changing the noise densities from 10 to 95% and is shown in Table 3.

From the both table 1 & 2 and figure 3 & 4, it is evident that the performance of the proposed method is better than the previous or existing method at high noise densities. The proposed method is also tested for house image that are corrupted with impulse noise as shown in fig 7-9.

Noise density	SMF	PSMF	CWMF	OCS	DBA	MDBTME	SUMF	PA
10%	33.25	36.82	32.42	29.60	35.62	37.95	38.38	46
20%	28.91	32.40	29.61	29.22	32.24	34.73	34.52	43.57
30%	23.63	28.94	27.18	8.62	30.02	32.39	32.29	41.23
40%	18.98	24.97	23.81	27.78	28.51	30.27	30.18	39.46
50%	15.29	20.48	20.43	26.76	26.99	28.19	28.31	39.42
60%	12.36	12.26	17.07	25.50	25.36	26.56	26.72	36.25
70%	9.97	9.95	13.96	24.03	22.83	24.13	24.87	34.85
80%	8.17	8.09	11.15	21.55	21.04	21.73	22.78	34.13
90%	6.68	6.65	8.72	18.30	18.11	18.62	20.24	33.15
95%	5.98	5.99	7.64	16.22	16.56	17.22	18.52	32.28

Table2: Comparison of MSE (dB) values of proposed method at different noise densities with existing methods for Lena Images

Noise density	SMF	PSMF	CWMF	OCS	DBA	MDBTME	SUMF	PA
10%	30.78	13.53	37.21	71.24	17.82	10.42	9.42	1.61
20%	63.49	37.46	71.13	77.90	38.82	21.88	23.01	2.86
30%	281.91	83.07	124.20	89.25	62.09	37.50	38.21	4.90
40%	822.30	206.84	270.32	108.40	91.63	61.10	62.32	7.36
50%	1925.19	582.64	588.05	137.09	130.04	98.64	96.08	7.44
60%	3774.38	3860.23	1270.0	183.22	189.26	143.57	138.13	15.42
70%	6545.43	6577.23	2610.23	257.36	338.90	251.23	211.08	21.26
80%	9902.36	10088.95	4930.12	454.67	511.77	436.59	343.86	25.11
90%	13962.06	14068.25	8720.21	962.27	1004.81	893.47	614.84	31.50
95%	16412.70	16374.33	11196.45	1552.25	1435.75	1233.34	914.28	38.46

Table2: Comparison of MSE (dB) values of proposed method at different noise densities with existing methods for Lena Images

Noise Density (%)	Output PSNR (DB)	Noise image PSNR (DB)	Run time in (sec)
10%	46	37	6
20%	43.57	34.07	6.86
30%	41.23	32.29	7.71
40%	39.46	31.05	8.70
50%	39.42	31.06	8.31
60%	36.25	29.29	11.09
70%	34.85	28.62	12.83
80%	34.13	28.04	15.23
90%	33.15	27.54	18.05
95%	32.28	27.30	20.12

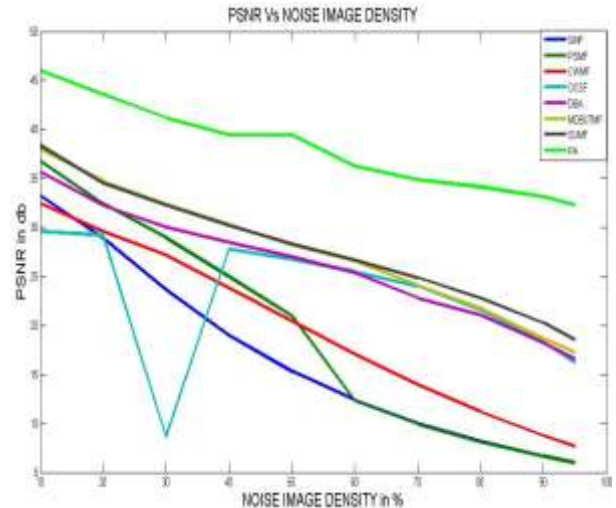


Table3: Computing RUN TIME (sec), Noise image PSNR, Fig 3: PSNR (dB) Vs Noise image densities (%) for Lena Image

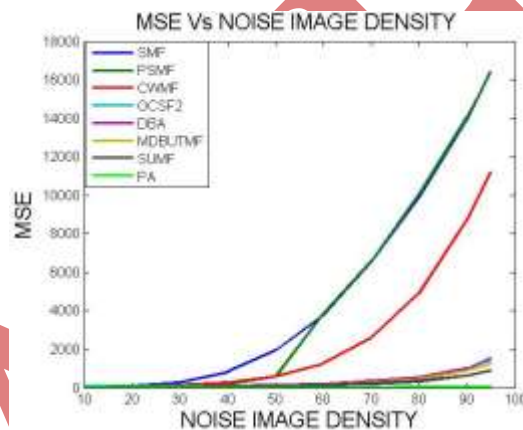
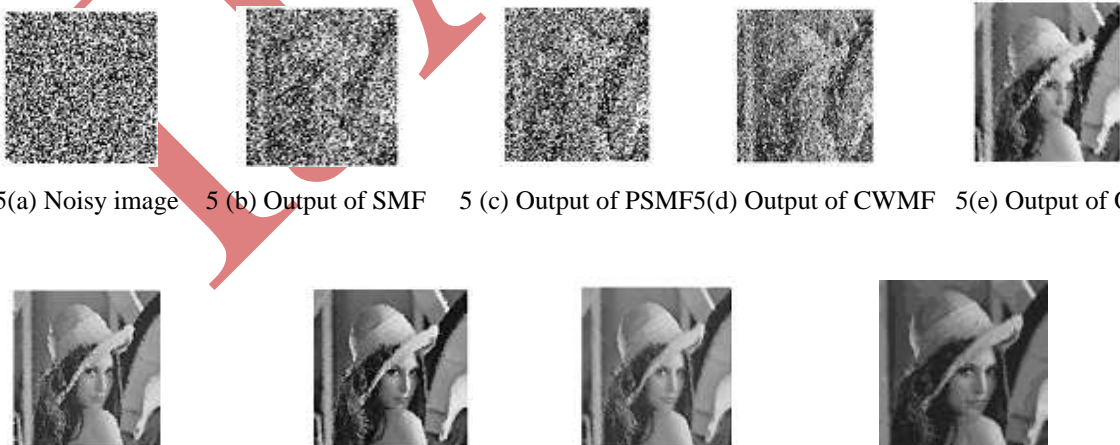


Fig 4: MSE (dB) Vs Noise image densities (%) for Lena Images



5(a) Noisy image 5 (b) Output of SMF 5 (c) Output of PSMF5(d) Output of CWMF 5(e) Output of OCSF

5(f) Output of DBA 5(g) Output of MDBUTMF5 (h) Output of SUMF 5(i) Output of Proposed Method

Fig.5 Results of Various Filters for Lena Image Corrupted By 80% Noise Densities

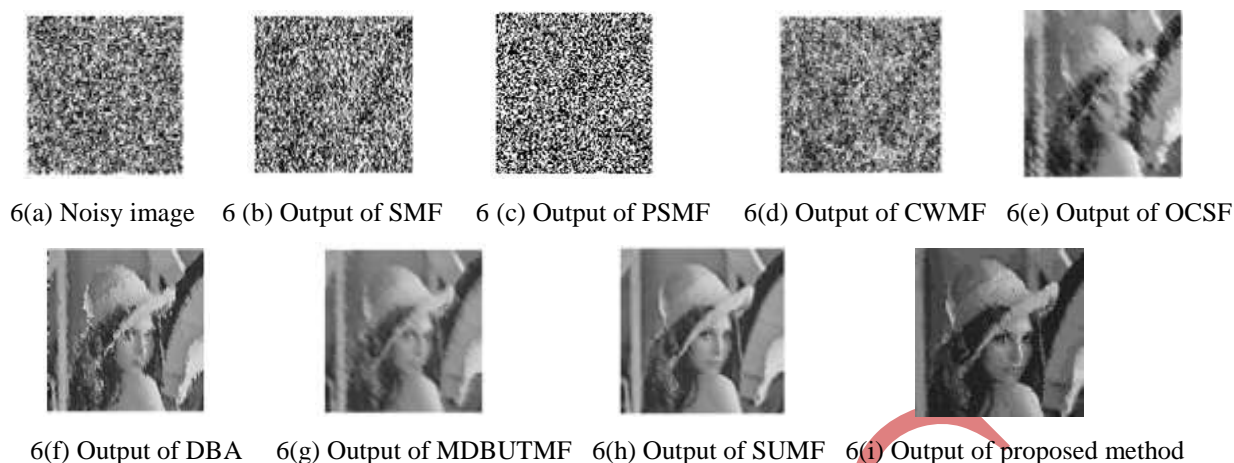


Fig.6 Results of Various Filters for Lena Image Corrupted By 90% Noise Densities

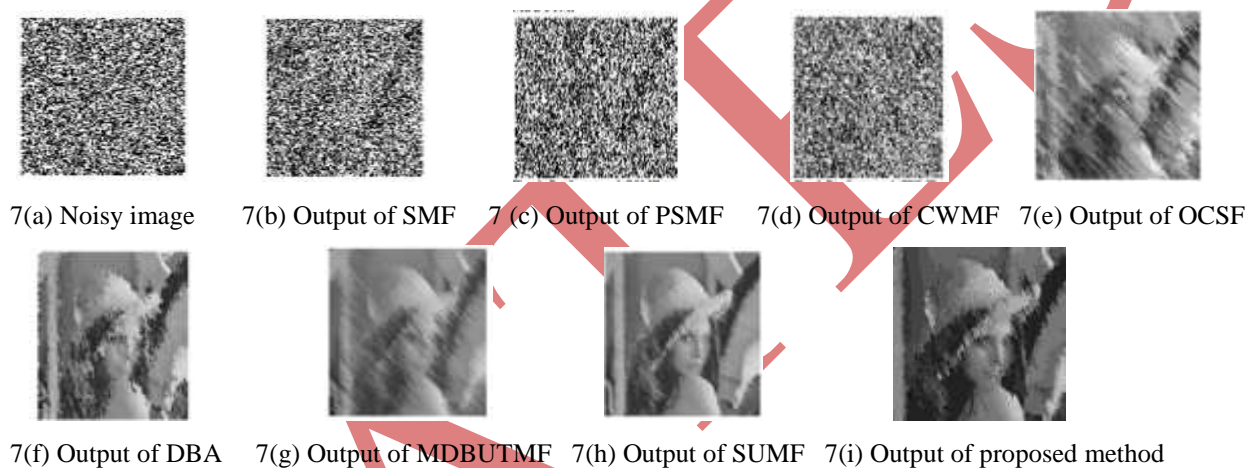


Fig.7 Results of Various Filters for Lena Image Corrupted By 95% Noise Densities

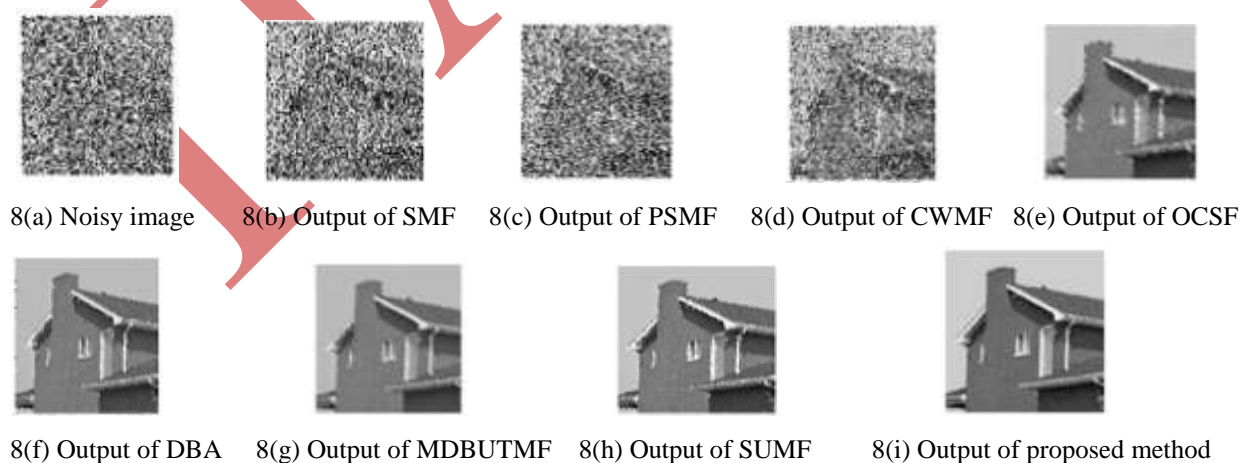


Fig.8 Results of Various Filters for House Image Corrupted By 80% Noise Densities

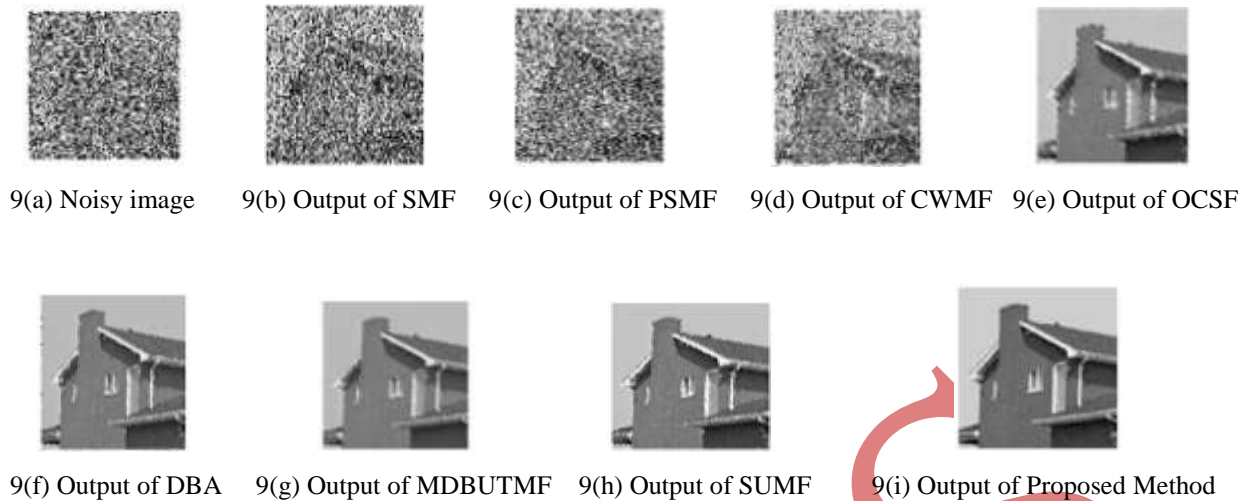


Fig.9 Results Of Various Filters For House Image Corrupted By 90% Noise Densities

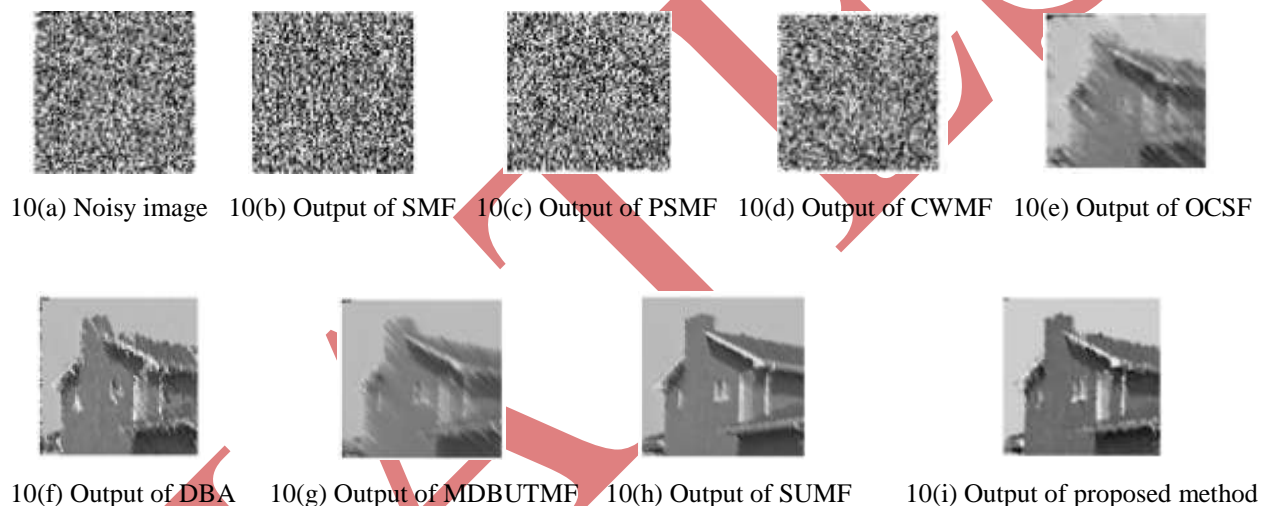


Fig.10 Results Of Various Filters For House Image Corrupted By 95% Noise Densities

IV. CONCLUSIONS

In this paper, distance based adaptive mean filter algorithm is proposed which gives better performance in comparison with simple Median Filter (MF), Progressive Switching Median Filter (PSMF), Centre weighted median filter (CWMF), open-close sequence filter (OCS), Decision Based Algorithm (DBA), Modified Decision based Unsymmetric Trimmed Median Filter (MDBUTMF) and other existing noise removal algorithms in terms of PSNR. The proposed algorithm has been implemented at low, medium and high noise densities for gray scale images. Experimental results showed that our method to de-noise the image is better both in qualitative and quantitative measures. We are able to get a better PSNR and MSE with other techniques with good quality output images. The proposed method requires less computation time (sec).

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