

ANTI COLLISION ENHANCEMENT OF SHA-1 USING AES ENCRYPTION

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ABSTRACT

The SHA-1 hash function used in many fields of security system such as digital Signature, tamper detection, password protection and so on. SHA-1 is very important algorithm for integrity and authentication realization, SHA-1 is a one way algorithm to Produce hash code of any message with 160 random hash bits, which cannot be reversible. AES with SHA-1 algorithm produce encrypted code that can be reversible to achieve confidentiality.

From the implementation and simulation results of AES based on SHA-1 algorithm obtained in VHDL project show simplicity in modeling hash function algorithm generating hash codes encrypted by AES method.

Keywords—*Secure Hash Algorithm (SHA), Advanced Encryption Standard (AES), S-Box (Substitute Box)*

I. INTRODUCTION

Security has become an increasingly important feature with the growth of electronic communication. The Symmetric in which the same key value is used in both the encryption and decryption calculations are becoming more popular. The AES algorithm is capable of using cryptographic keys of 128, 192, and 256 bits to encrypt and decrypt data in blocks of 128 bits. This standard is based on the Rijndael algorithm. The SHA-1 and AES implemented by using VHDL, first the original message is processed via SHA-1 algorithm then the code generated by SHA-1 is processed via AES algorithm to give a Very secure code that cannot be breakable easily. AES the hash function itself is not achieve confidentiality, just obtain authentication and integrity. To make the hash more secure there is a need to merge the hash code that produced with any encryption method.

The AES algorithm is implemented in VHDL to realize the confidentiality property to support the security of the system. The original message that processed by SHA-1 algorithm first, represent the plaintext. The hash code that produced via SHA-1 represents the key or the password of AES algorithm to generate another code which is very difficult to break the original message entered to SHA-1 to pass under the whole system operations to give SHA1 data which represent the hash code. This code then enters to AES encryption block to give the cipher text. The cipher text which is generated from the encrypted hash by AES then entered to AES decryption block to return the plaintext which is the original message. Nowadays cryptography has a main role in embedded systems design. As the number of devices and applications which send and receive data are increasing rapidly, the data

transfer rates are becoming higher. In many applications, this data requires a secured connection which is usually achieved by cryptography. Cryptography is divided in two categories first is symmetric key cryptography (sender and receiver shares the same key) and the second one is asymmetric key cryptography (sender and receiver shares different keys). Here we are concerned about symmetric key cryptography due to its use in military application, embedded system design, financial and legal files, medical reports, and bank services via Internet, telephone conversations, and e-commerce transactions etc. Many symmetric key cryptographic algorithms were proposed, such as the Data Encryption Standard (DES), the Elliptic Curve Cryptography (ECC), the Advanced Encryption Standard (AES) and other algorithms.

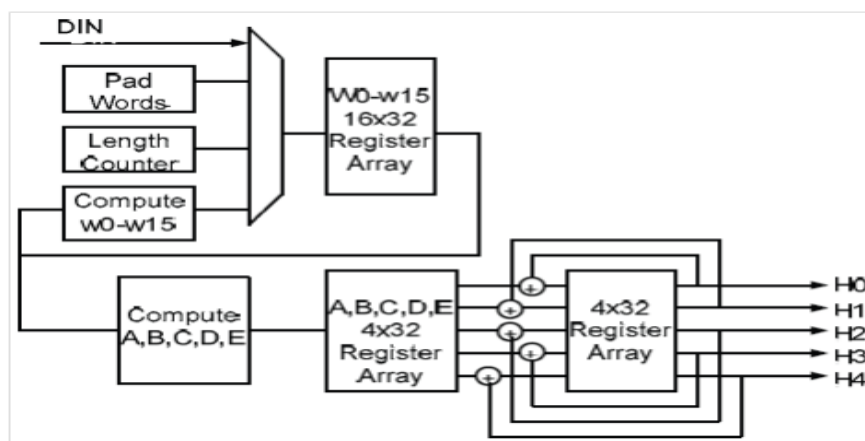
The National Institute of Standards and Technology (NIST) has initiated a process to develop a Federal information Processing Standard (FIPS) for the Advanced Encryption Standard (AES), specifying an Advanced Encryption Algorithm to replace the Data Encryption standard(DES) the Expired in 1998. The Rijndael Algorithm was chosen since it had the best overall scores in security, performance, efficiency, implementation ability and flexibility. The Rijndael algorithm is a symmetric block cipher that can process data blocks of 128 bits through the use of cipher keys with lengths of 128, 192, and 256 bits. The AES algorithm as Rijndael is also a symmetric block cipher that can encrypt (encipher) and decrypt (decipher) information. Encryption converts data to an unintelligible form called cipher text. Decryption of the cipher-text converts the data back into its original form, which is called plaintext. The number of rounds is depends upon the key length.

II. RELATED WORKS AND CONTRIBUTIONS

The AES algorithm implemented in VHDL to realize the confidentiality property to support the security of the system. The original message that processed by SHA-1 algorithm first, represent the plaintext. The hash code that produced via SHA-1 represents the key or the password of AES algorithm to generate another code which is very difficult to break. The SHA-1 and AES implemented by using VHDL , first the original message is processed via SHA-1 algorithm then the code generated by SHA-1 is processed via AES algorithm to give a very secure code that cannot be breakable easily.

A) SHA-1 Algorithm

Fig 1 shows the steps involved in the SHA-1 Algorithm



The algorithm processing includes the following steps

- Padding
- Appending Length
- Process message in 16-word blocks
- Initializing the SHA-1 buffer

➤ **Padding**

The purpose of message padding is to make the total length of a padded message congruent to 448 modulo 512 (length = $448 \bmod 512$). The number of padding bits should be between 1 and 512. Padding consists of single 1-bit followed by the necessary number of 0-bits.

Given an m -bit message, a single bit 1 is appended as the $m + 1$ th bit and then $(448 (m + 1)) \bmod 512$ (between 0 and 511) zero bits are appended. As a result, the message becomes 64-bit short of being a multiple of 512 bits long.

➤ **Appending Length**

A 64-bits binary representation of the original length of the message is appended to the end of the message.

Initializing the SHA-1 buffer

The 160-bits buffer is represented by five four-word buffers (A, B, C, D, and E) used to store the middle or final results of the message digest for SHA-1 functions. They are initialized to the following values in hexadecimal. Low-order bytes are put first.

The result is divided into 512-bit blocks, denoted by M_1, M_2, M_3, \dots . The internal state of SHA-1 is composed of five 32-bit words A, B, C, D and E, used to keep the 160-bit chaining value high.

Word A: 67 45 23 01;

Word B: EF CD AB 89;

Word C: 98 BA DC EF;

Word D: 10 32 54 16;

Word E: C3 D2 E1 F0;

➤ **Process message in 16-word blocks**

The heart of the algorithm is a module that consists of four rounds of processing 20 steps each. The four rounds have a similar structure, but each uses a different primitive logical function. These logical functions are defined as follows

These rounds take as input the current 512-bits block and the 160-bits buffer value (A, B, C, D, E), and then update these buffers.

$F(t; B, C, D) = (B \text{ AND } C) \text{ OR } ((\text{NOT } B) \text{ AND } D) \quad (0 \leq t \leq 19);$

$F(t; B, C, D) = B \text{ XOR } C \text{ XOR } D \quad (20 \leq t \leq 39);$

$F(t; B, C, D) = (B \text{ AND } C) \text{ OR } (B \text{ AND } D) \text{ OR } (C \text{ AND } D) \quad (40 \leq t \leq 59);$

$F(t; B, C, D) = B \text{ XOR } C \text{ XOR } D$ ($60 \leq t \leq 79$).

Each round also makes use of an additive constant $K(t)$. In hex the values are shown below.

$K(t) = 5A827999$ ($0 \leq t \leq 19$);

$K(t) = 6ED9EBA1$ ($20 \leq t \leq 39$);

$K(t) = 8F1BBCDC$ ($40 \leq t \leq 59$);

$K(t) = CA62C1D6$ ($60 \leq t \leq 79$);

II. AES Algorithm

The Encryption process of Advanced Encryption Standard algorithm is presented below, in Figure 2. This block diagram is generic for AES specifications. It consists of a number of different transformations applied consecutively over the data block bits, in a fixed number of iterations, called rounds. The number of rounds depends on the length of the key used for the encryption process.

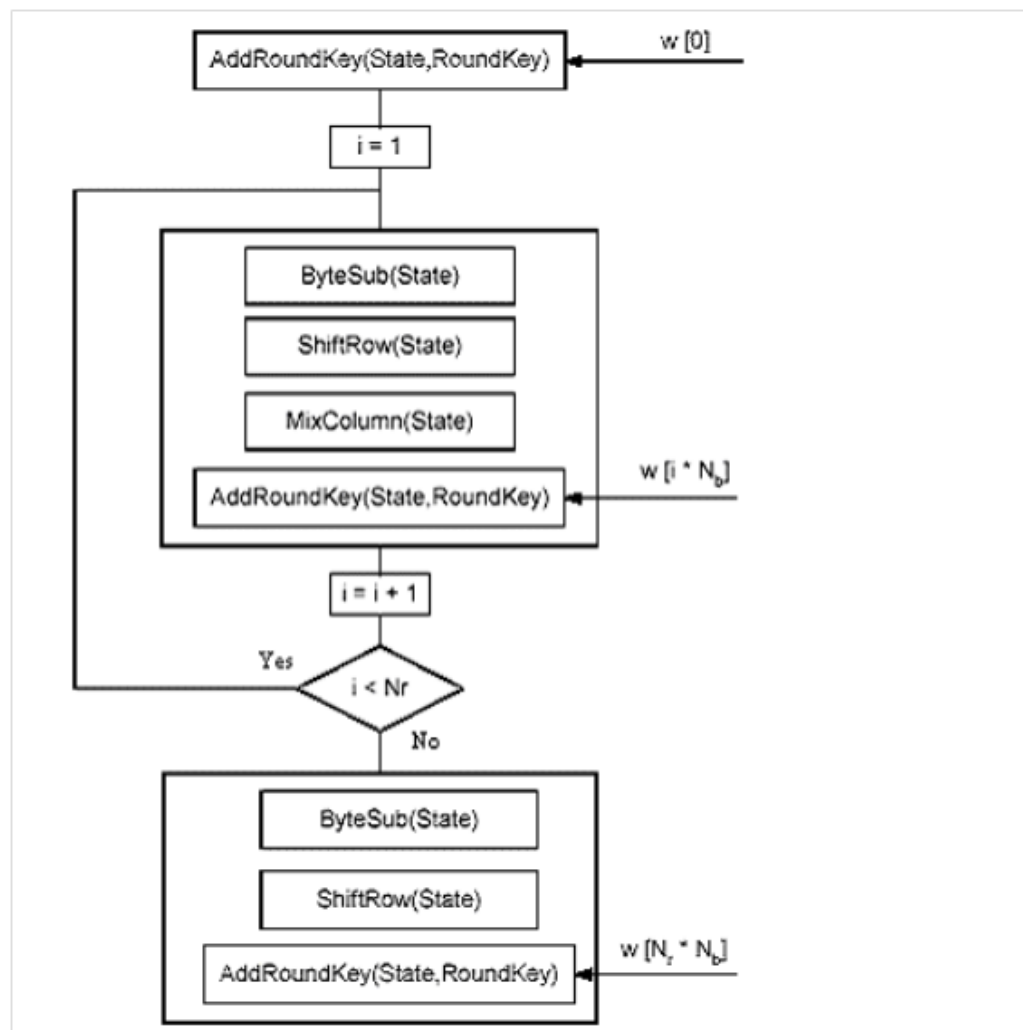


Figure 2: AES Algorithm

AES Algorithm consists of following steps

- Sub Bytes
- Shift Rows
- Mix Columns
- Add Round key

➤ Sub Bytes

The bytes substitution transformation Byte sub (state) is a non-linear substitution of bytes that operates independently on each byte of the State using a substitution table (Sbox) presented in figure 3.

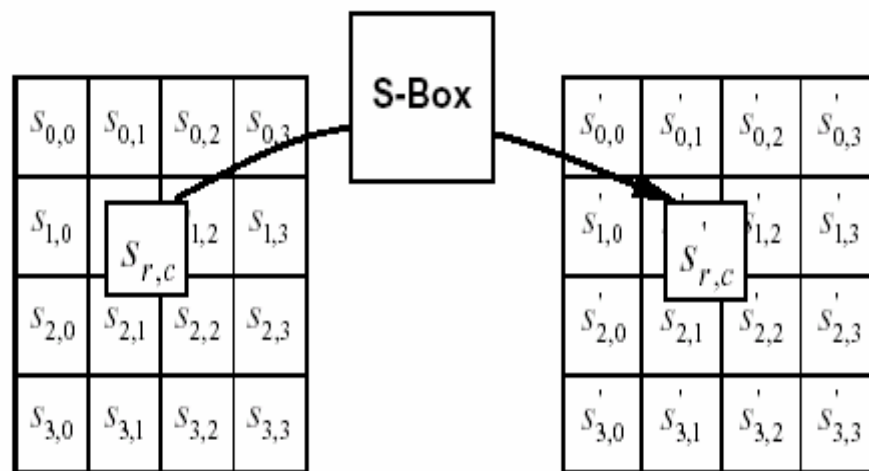


Figure 3: Application of S-box to the Each Byte of the State

The Substitute bytes stage uses an S-box to perform a byte-by-byte substitution of the block. There is a single 8-bit wide S-box used on every byte. This S-box is a permutation of all 256 8-bit values, constructed using a transformation which treats the values as polynomials in however it is fixed.

The each byte of the state is replaced by byte indexed by row and column. The S-box used in the Sub Bytes transformation is presented in hexadecimal Called an s-box. This matrix consists of all the possible combinations of an 8 bit sequence ($2^8 = 16 \times 16 = 256$). However, the s-box is not just a random permutation of these values and there is a well defined method for creating the s-box tables.

This S-box which is invertible, is constructed by composing two transformations

1. Take the multiplicative inverse in the finite field GF (28);
2. Apply the following affine transformation (over GF (2))

The S-box used in the Sub Bytes transformation is presented in hexadecimal form in figure 4.

		y															
		0	1	2	3	4	5	6	7	8	9	a	b	c	d	e	f
x	0	63	7c	77	7b	f2	6b	6f	c5	30	01	67	2b	fe	d7	ab	76
	1	ca	82	c9	7d	fa	59	47	f0	ad	d4	a2	af	9c	a4	72	c0
	2	b7	fd	93	26	36	3f	f7	cc	34	a5	e5	f1	71	d8	31	15
	3	04	c7	23	c3	18	96	05	9a	07	12	80	e2	eb	27	b2	75
	4	09	83	2c	1a	1b	6e	5a	a0	52	3b	d6	b3	29	e3	2f	84
	5	53	d1	00	ed	20	fc	b1	5b	6a	cb	be	39	4a	4c	58	cf
	6	d0	ef	aa	fb	43	4d	33	85	45	f9	02	7f	50	3c	9f	a8
	7	51	a3	40	8f	92	9d	38	f5	bc	b6	da	21	10	ff	f3	d2
	8	cd	0c	13	ec	5f	97	44	17	c4	a7	7e	3d	64	5d	19	73
	9	60	81	4f	dc	22	2a	90	88	46	ee	b8	14	de	5e	0b	db
	a	e0	32	3a	0a	49	06	24	5c	c2	d3	ac	62	91	95	e4	79
	b	e7	c8	37	6d	8d	d5	4e	a9	6c	56	f4	ea	65	7a	ae	08
	c	ba	78	25	2e	1c	a6	b4	c6	e8	dd	74	1f	4b	bd	8b	8a
	d	70	3e	b5	66	48	03	f6	0e	61	35	57	b9	86	c1	1d	9e
	e	e1	f8	98	11	69	d9	8e	94	9b	1e	87	e9	ce	55	28	df
	f	8c	a1	89	0d	bf	e6	42	68	41	99	2d	0f	b0	54	bb	16

Figure 4: S-box values for all 256 combinations in hexadecimal format

For example, if $S_{1,1} = 53$, then the substitution value would be determined by the intersection of the row with index 5 and the column with index 3 in figure 4. This would result in $S'_{1,1}$ having a value of ed.

Rijndael was designed to have the following characteristics

- Resistance against all known attacks.
- Speed and code compactness on a wide range of platforms.
- Design Simplicity

➤ Shift Row

In the Shift Rows transformation Shift Rows, the bytes in the last three rows of the State are cyclically shifted over different numbers of bytes the number a row is shifted can't be the same as shown in figure 5. The Shift Rows stage provides a simple permutation of the data, whereas the other steps involve substitutions. Further, since the state is treated as a block of columns, it is this step which provides for diffusion of values between columns. It performs a circular rotate on each row of 0, 1, 2, 3 places for respective rows.

It works as follows

- The first row of state is not altered.
- The second row is shifted 1 bytes to the left in a circular manner.
- The third row is shifted 2 bytes to the left in a circular manner
- The fourth row is shifted 3 bytes to the left in a circular manner

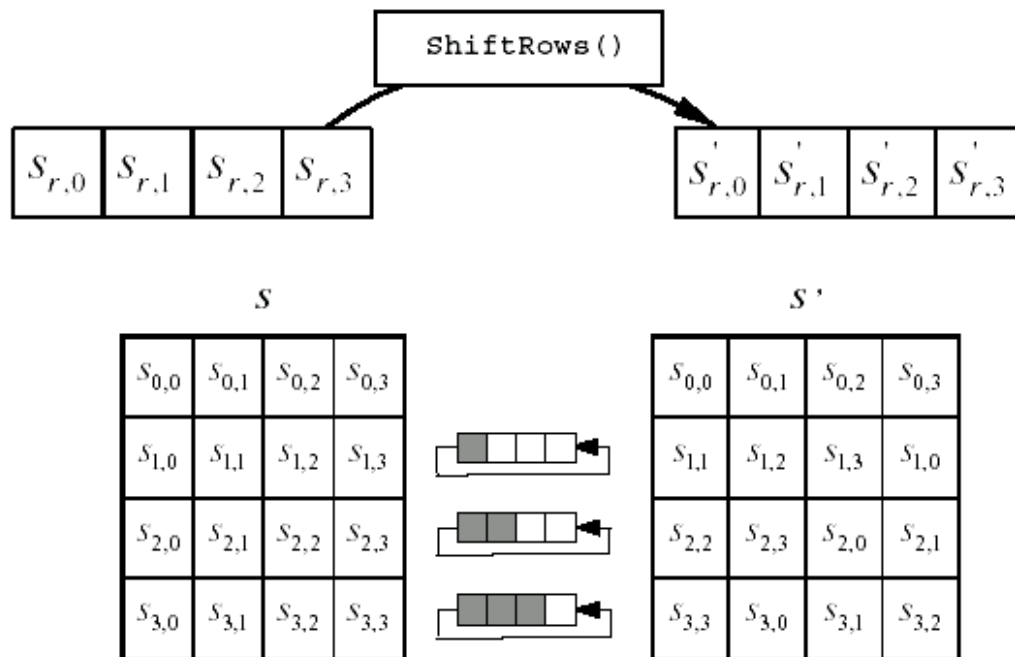


Figure 5: shift row block

➤ Mix Columns

This transformation is based on Galois Field multiplication. Each byte of a column is replaced with another value that is a function of all four bytes in the given column. The Mix Columns () transformation operates on the State column-by-column, treating each column as a four-term polynomial. Each column is processed separately. The columns are considered as polynomials over GF (28) and multiplied modulo $x^4 + 1$ with a fixed polynomial.

$$a(x) = 03x^3 + 01x^2 + 01x + 02.$$

$$S'(x) = a(x) S(x).$$

This stage (known as Mix Column) is basically a substitution but it makes use of arithmetic of GF (28). Each column is operated on individually. Each byte of a column is mapped into a new value that is a function of all four bytes in the column. The transformation can be determined by the following matrix multiplication on state (see figure 6):

Each element of the product matrix is the sum of products of elements of one row and one column. In this case the individual additions and multiplications are performed in GF (28). The Mix Columns transformation of a single column j ($0 \leq j < 3$) of state can be expressed as:

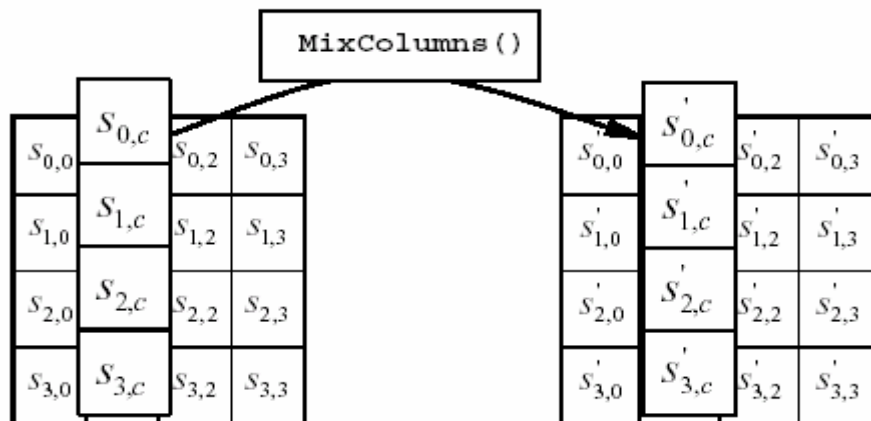


Figure 6: Mix column block

➤ Add Round Key

The Add Round Key stage, which likes Byte Substitution, operates on each byte of State independently as shown in figure 7. The Add Round Key transformation is self inverting. It maps a 128-bit input state to a 128-bit output state by XOR ing the input state with a 128-bit round key.

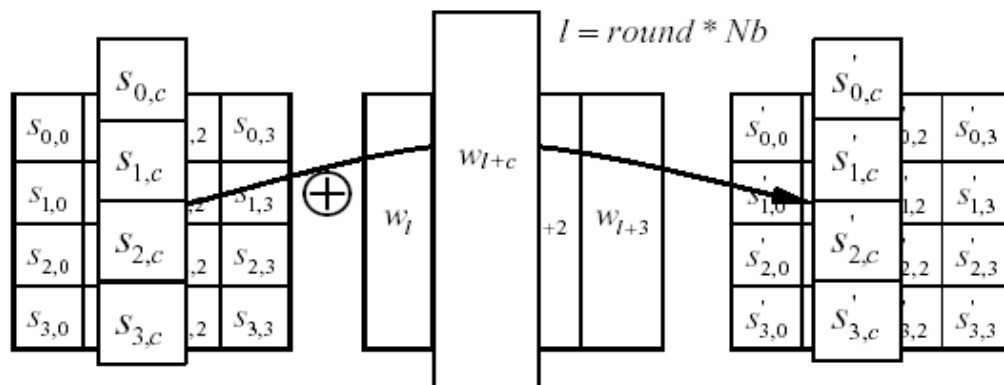


Figure 7: Add around key block

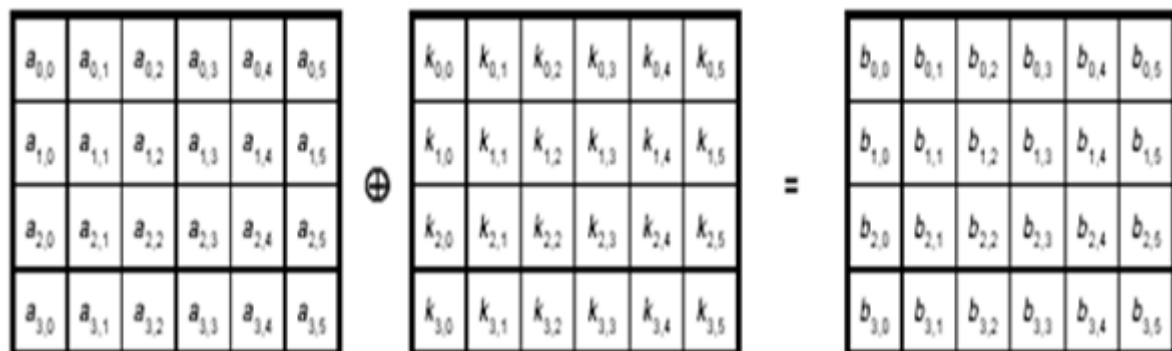


Figure 8: Add around key block example

As shown in the figure 8, in this stage (known as AddRoundKey) the 128 bits of state are bitwise XORed with the 128 bits of the round key. The operation is viewed as a column wise operation between the 4 bytes of a state column and one word of the round key. This transformation is as simple as possible which helps in efficiency but it also affects every bit of state. The AddRoundKey transformation is self inverting .It maps a 128-bit input state to a 128-bit output state by XORing the input state with a 128-bit round key.

➤ **Key Schedule Generation**

Each round key is a 4-word (128-bit) array generated as a product of the previous round key, a constant that changes each round, and a series of S-Box (figure 2) lookup values for each 32-bit word of the key. The first round key is the same as the original user input. Each byte (w_0 - w_3) of initial key is XORd with a constant that depends on the current round, and the result of the S-Box lookup for w_i , to form the next round key.

The Key schedule Expansion generates a total of $N_b (N_r + 1)$ words: the algorithm requires an initial set of N_b words, and each of the N_r rounds requires N_b words of key data. The resulting key schedule consists of a linear array of 4-byte words, denoted $[W_i]$, with i in the range $0 \leq i < N_b (N_r + 1)$.

III. RESULTS AND DISCUSSION

From the implementation of cryptography hash function in VHDL test the execution of all steps in SHA-1 algorithm in different types of plaintext such as English, Arabic, symbols, and numbers to produce fixed 160 bits hash code. After generating of the 160 bits hash code, these bits entered to AES algorithm which is 128 bits key to both encryption and decryption to give a very strong code which is very difficult to break. The encrypted hash code gives the confidentiality to the data.

The following diagram shows the values in the State array as the Encryption Progresses for a block length and a Key length of 16 bytes each (i.e., $N_b = 4$ and $N_k = 4$).

Input = 32 43 f6 a8 88 5a 30 8d 31 31 98 a2 e0 37 07 34

Cipher Key = 2b 7e 15 16 28 ae d2 a6 ab f7 15 88 09 cf 4f 3c

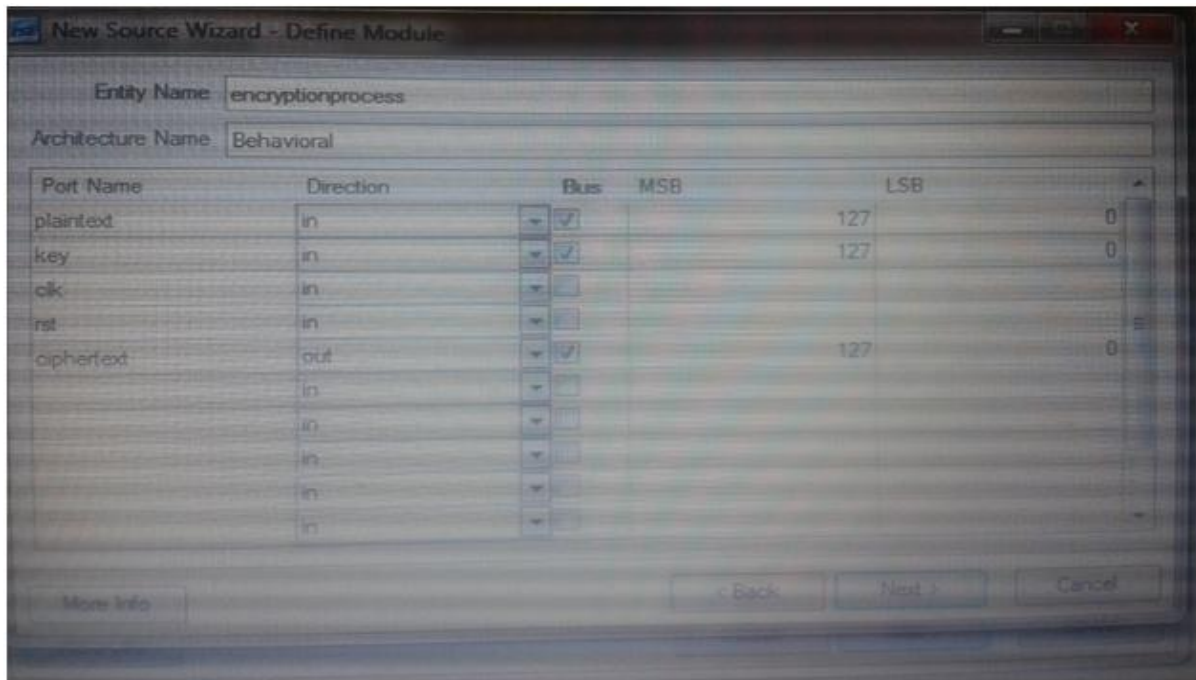


Figure 9: Create the module and open it in the editor

In the simulation process, first step is to create the project with the new HDL Module as shown in figure 9.

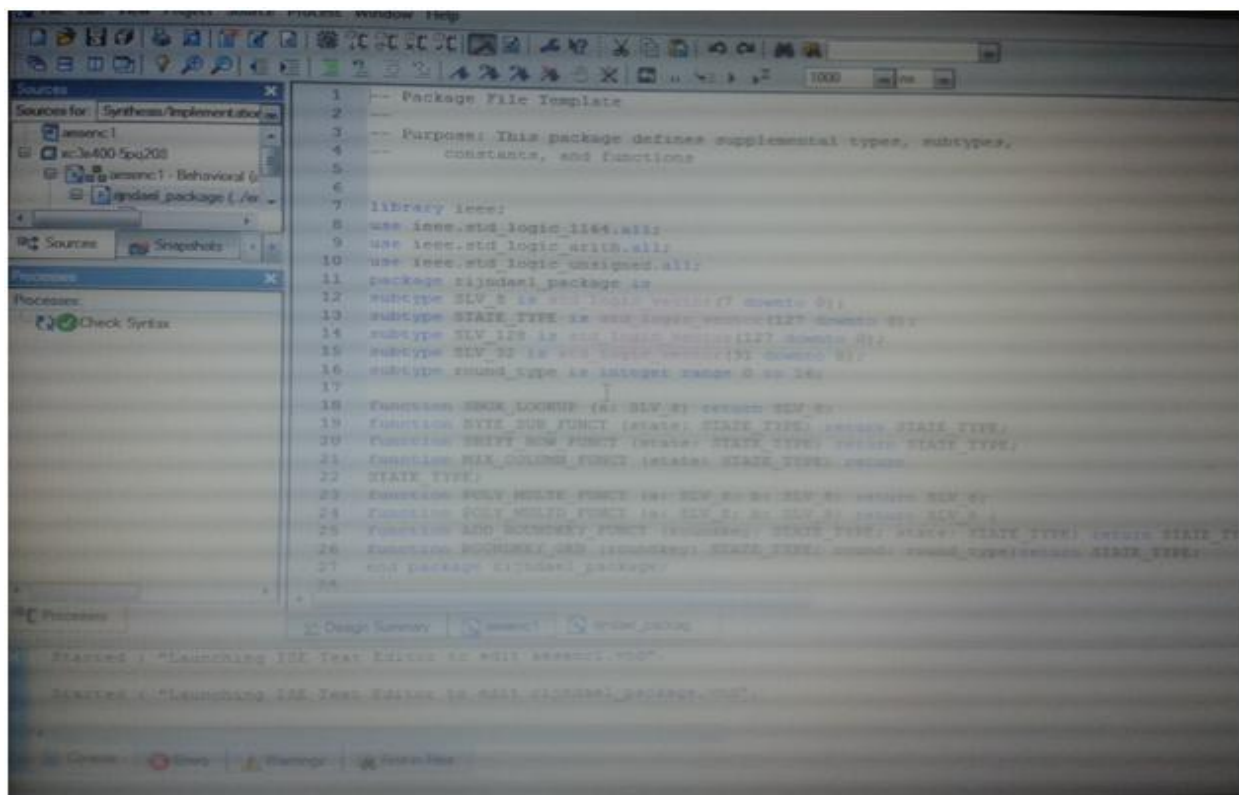


Figure 11; generating the constraints

Next step is to creating constraints and generating the programming file as shown in figure 11. The final simulation for encryption is shown in figure 12 & 13.

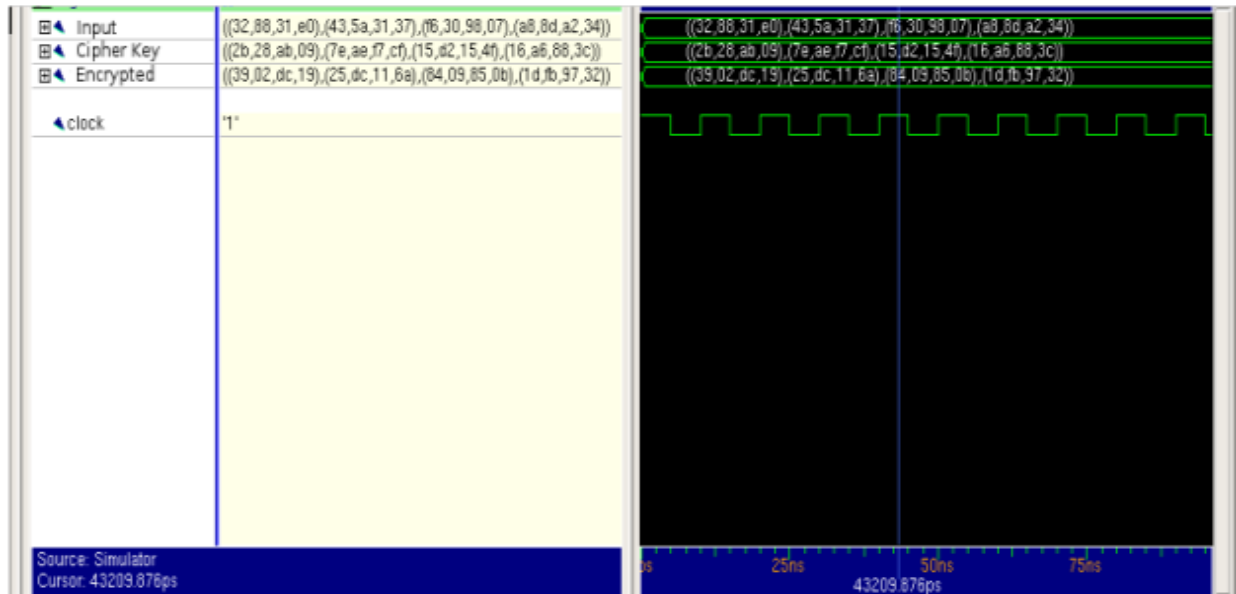


Figure 12; Simulator for encryption



Figure 13: Encryption bit wise

Round Number	Start of Round	After SubBytes	After ShiftRows	After MixColumns	Round Key Value																																																																																
input	<table><tr><td>32</td><td>88</td><td>31</td><td>e0</td></tr><tr><td>43</td><td>5a</td><td>31</td><td>37</td></tr><tr><td>f6</td><td>30</td><td>98</td><td>07</td></tr><tr><td>a8</td><td>8d</td><td>a2</td><td>34</td></tr></table>	32	88	31	e0	43	5a	31	37	f6	30	98	07	a8	8d	a2	34	<table><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr></table>																	<table><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr></table>																	<table><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr><tr><td></td><td></td><td></td><td></td></tr></table>																	<table><tr><td>2b</td><td>28</td><td>ab</td><td>09</td></tr><tr><td>7e</td><td>ae</td><td>f7</td><td>cf</td></tr><tr><td>15</td><td>d2</td><td>15</td><td>4f</td></tr><tr><td>16</td><td>a6</td><td>88</td><td>3c</td></tr></table> ⊕ =	2b	28	ab	09	7e	ae	f7	cf	15	d2	15	4f	16	a6	88	3c
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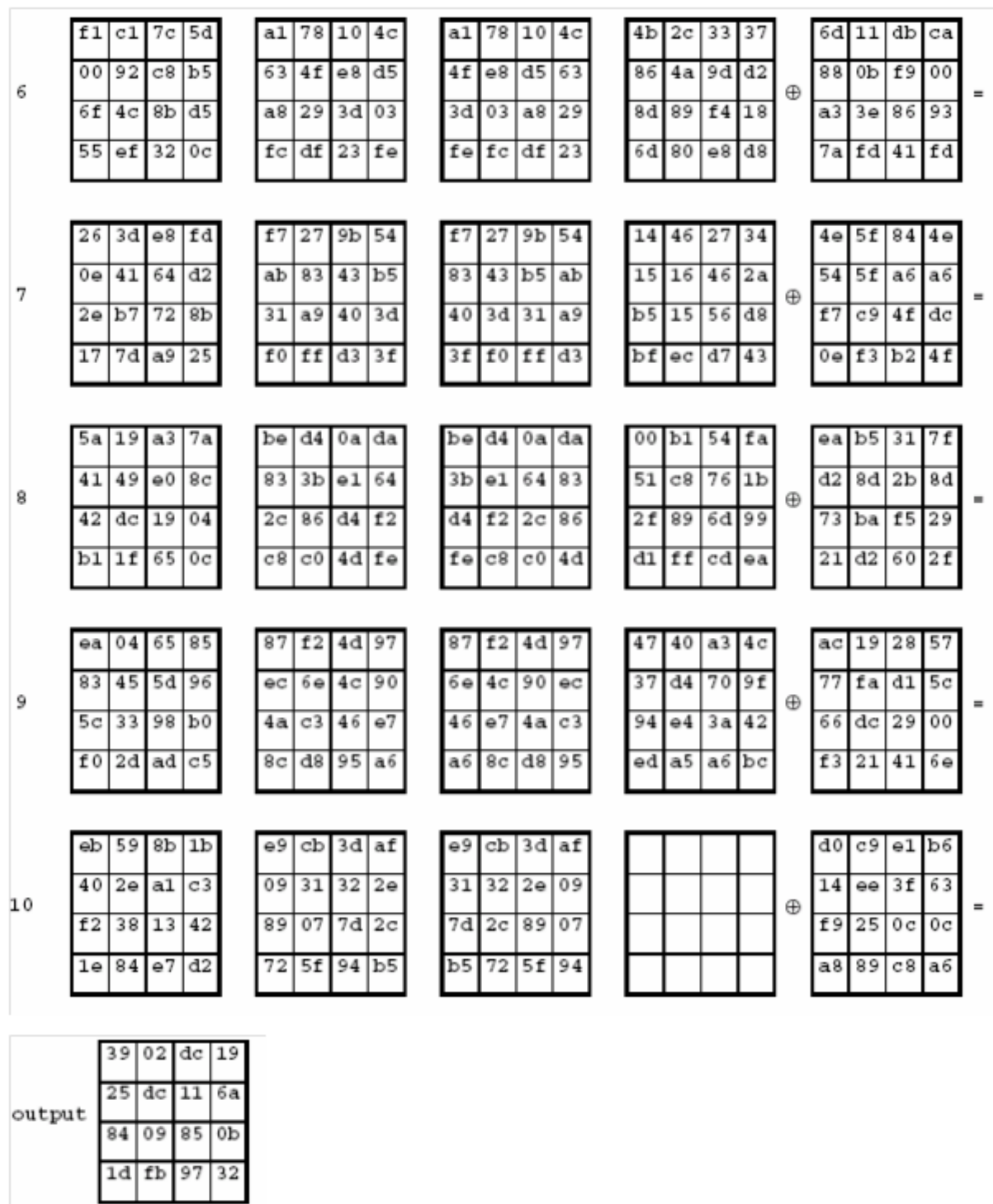


Figure 14: Matrix form of input and output

➤ APPLICATION

- The SHA-1 hash function used in many fields of security system such as digital signature, tamper detection, password protection and so on.

- Data storage: - The original data will be present in the data storage even if the data is in digest form.
- Software distribution:-This application is applicable in recharge cards to give them the sequence.
- Recharge cards:-In this cards SHA-1 algorithm is used to produce a digest message. Digest message is nothing but the secret number present in the recharge card.
- Electronic money transfer

V.CONCLUSION

The Advanced Encryption Technique was implemented successfully using VHDL language. Various data messages were encrypted using different keys and varying key sizes. The original data was properly retrieved via decryption of the cipher text.

The modifications brought about in the code was tested and proved to be accurately encrypting and decrypting the data messages with even higher security and immunity against the unauthorized users.

In this paper, we are presented a SHA-1 implementation of the encryption algorithm AES under VHDL utilizing high performance Mix-column which uses Properties Of the binary calculation VHDL is used as the hardware description language because of the flexibility to exchange among environments.

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