

# STUDY ON RESPONSE REDUCTION FACTOR OF CONCENTRICALLY BRACED STEEL FRAMES

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## ABSTRACT

*The present study deals with the effect of different aspect ratios on the value of response reduction factor evaluated for different braced and without braced Steel frame models. Aspect ratio is the ratio of total height of the building frame to base width of the building frame whereas, total height of the building frame is varied and base width is kept constant. So, three bay frames are considered for all structural models and the response reduction factor values are evaluated for two dimensional steel frame models containing without bracing, middle bay bracing and external bay bracing of different brace configurations following different aspect ratios ranging from one to five. For this analytical study, SAP2000 software is used and static nonlinear push over analysis has been performed to evaluate response reduction factor (R) values by evaluating the components of R-factor including over strength factor and ductility reduction factor which can be obtained by extracting values from static push over curve and finally R values are presented and compared for different structural models of different aspect ratios.*

**Key words:** *Aspect ratio, concentric bracings, ductility factor, over strength factor, response reduction factor.*

## I. INTRODUCTION

Response reduction factor ( $R$ ) is a value that indicates the reduced response of a structure from linear elastic response spectra to the inelastic one. Response reduction factor ( $R$ ) primarily depends upon two factors which are ductility reduction factor ( $R_u$ ) and over strength factor ( $R_s$ ). During strong earthquakes, structures are expected to undergo large nonlinear deformations as they do not remain elastic. By considering the fact that the structures contain significant reserve strength (Over strength) and Energy dissipating capacity (Ductility), which are included in structural design through a response reduction factor, many design codes allow reduction in design loads. It is known that, different seismic code provisions have assigned different values of ' $R$ ' for a particular type of structural system. For example, from IS 1893:2002 (Part-1),  $R$ -factor for Steel concentric braced frame is 4, whereas from ASCE-7, it is 3.5 and from Iranian code (Standard 2800), it is 6 for the same steel concentric braced frame. Likewise, based on pure technical Engineering judgment,  $R$  values are assigned and these assigned values to the  $R$ -factor will be affected by any change or improvement in the reliability of the modern earthquake resistant buildings. Therefore, systematic evaluation of response reduction factor is needed for every structure in order to obtain perfect earthquake resistant design of that structure.

From the previous studies, Whittaker. A et.al presented a draft formulation which represents the response reduction factor as a product of over strength, ductility and redundancy [1]. They have conducted various analytical and experimental studies on over strength and ductility and have presented pertinent data on them. Also, they have discussed about the studies that proposed the formulation of  $R$  which is expressed as the product of three factors.

Where,  $R_s$  is a period-dependent strength factor

$R_\mu$  is a period-dependent ductility factor and

$R_R$  is a redundancy factor

After that, Mahmoudi. M and Zaree. M evaluated response reduction factors for CBFs and BRBFs by conducting static non linear push over analysis for different building frame models (Chevron V, invert V and X-bracing) of single and double bracing bays with various storey heights and concluded that the number of bracing bays and height of the buildings had greater effect on response reduction factors [2]. They have evaluated and studied  $R$ -factors of the above mentioned frames by using the expression of  $R$  which is determined as,

Where,  $R_\mu$  is a reduction factor due to ductility and

$R_s$  is the over strength factor

Among several proposals made for the expression of  $R_\mu$ , from the simple version of the N2 method proposed by Fajfar [8],  $R_\mu$  can be written as,

$$()$$

Where,  $T$  is fundamental period

$T_c$  is characteristic of ground motion and

$\mu$  is the structural ductility factor which can be written as,

Where,  $\Delta_{\max}$  is the maximum displacement in a structure for the first life safety performance

$\Delta_y$  is the observed yield displacement there

Now, the over strength factor is given as,

Where,  $R_{sd}$  is the design over strength factor and is defined as,

Where,  $V_u$  is ultimate base shear in relevance to the first life safety performance

$V_d$  is the design base shear in the building

$R_1$  is the difference between actual and nominal yield strengths and its value may be put as 1.05 based on the statistical data for the structural steel and

$R_2$  is a parameter used to know the yield stress under strain rate effect during an earthquake phenomena and its value could be used as 1.1 (an increase of 10%), to account for the strain rate effect.

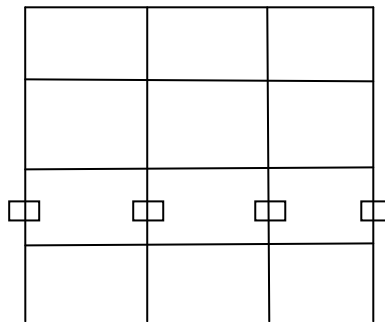
Before this, in 2003, Mahmoud R.M. and Akbari R. evaluated the seismic behavior factor i.e. response reduction factor ( $R$ ) for X-braced and knee braced RC buildings and concluded that there are some parameters including the height of the building frame, share of the bracing system and type of the bracings had significant effect on the seismic behavior factor [3]. Recently, Kamath. K et.al, have studied on the effect of different aspect ratios i.e.  $H/B$  ratio on steel CBFs and the seismic performance of those CBFs were compared [4]. The present study focuses on the evaluation of response reduction factors by evaluating the ductility and over strength factors using static non linear push over analysis on different steel CBFs (Without bracing, X-bracing, V-bracing, invert-V bracing and diagonal bracing) with internal and external bracing bays following different aspect ratios

i.e. H/B ratio ranging from 1 to 5 for a high seismic prone zone (Zone-V) and finally based on the comparative studies, the best suitable steel CBF is suggested.

## II. MODELING AND ANALYSIS

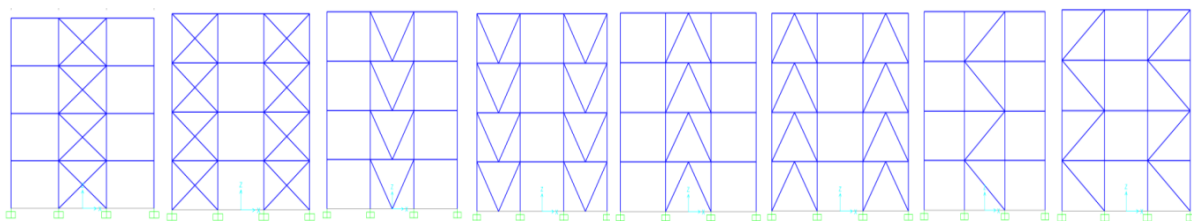
### 1.1. Modeling of steel frames:

The modeling of steel frames has been carried out based on the aspect ratio i.e. H/B ratio, where, H is the total height of the structural frame and B is the total base width of the structure. Here, aspect ratio will be varied by keeping the base width as constant and varying the height of the structure by increasing the number of storeys. The dimensions of the structural members are assigned only after proper design of the entire structure which is allowed to resist different types of load cases along with load combinations considered according to the Indian standards. A normal two dimensional modeled frame without bracings will be looks like as follows:



**Fig 1:** Normal 2D-frame with  $AR=1$

Aspect ratio as mentioned above refers to the ratio of total height of the structure to the base width of the structure i.e. H/B ratio. For example, take the above modeled frame and it has G+3 with 3 bays in which each storey height is 3m and each bay width is 4m. Therefore, total height (H) of the structure is 12m and base width (B) of the structure is also 12m which gives the aspect ratio (H/B) is equal to 1. Like this, aspect ratios of 1, 2, 3, 4, and 5 have been considered for the steel frames of without bracings and with different types of bracings. The figures representing different types of bracings considered with aspect ratio of 1 are shown as follows.



**Fig 2:** Steel frames models with different types of bracings

A Tabular column drawn below shows the dimensional properties of the steel structural members of X-braced frames (Middle bay braced).

Table 1: Dimensional properties

Steel frames with X-bracings (Middle bay braced)			
Aspect ratio	Beam	Column	Brace
1	ISMB350	ISHB450-2	ISMB200
2	ISMB350	ISHB450-2	ISMB200
3	ISMB350	ISHB450-2	ISMB200
4	ISMB350	ISHB450-3	ISMB200
5	ISMB350	ISHB450-3	ISMB200

## 2.2 Analysis:

Static nonlinear analysis (Pushover analysis), has been produced over the previous years and has turned into a helpful analysis methodology for outline and execution assessment purposes. The function of the pushover analysis is to assess the normal execution of a structural system by evaluating its strength and deformation demands in earthquake design by means of a static inelastic analysis, and contrasting these demands with accessible limits. With the recent publication of the FEMA-273, FEMA-356 and FEMA-440 archives which incorporate broad suggestions for the load-deformation modeling of individual components and for worthy estimations of force and deformation parameters for execution assessment, the non-linear structural analysis technique has been made one stride further. This static nonlinear push over analysis methodology should be possible by utilizing structural analysis programming device called CSI SAP2000. In the pushover analysis, selecting a proper lateral load distribution is a vital step. The analysis was directed by utilizing life safety structural performance level and additionally the nonlinear behavior of braces as proposed by FEMA-356 appeared in the fig beneath.

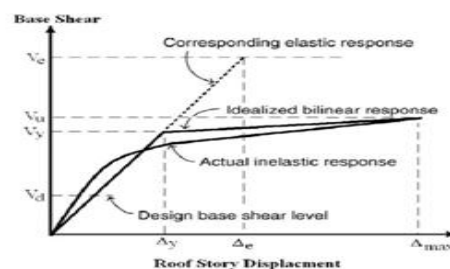


Fig 3: Generalized force-deformation relation for steel braced elements

In the above Fig.  $Q$ ,  $Q_y$  and  $\Delta$  are the generalized component load, expected strength and component displacement, respectively.

The hinges defined and assigned for a nonlinear analysis have been taken from the tables of FEMA 356 which are of auto hinge property. The steel beams will be assigned with the Primary component type with the degrees of freedom M3 whereas the steel columns will be assigned with the primary component type with the degrees of freedom P-M3 and also the steel braces will be assigned with the same Primary component type with the degrees of freedom Axial-P.

### 1.2. Evaluation of response reduction factor:

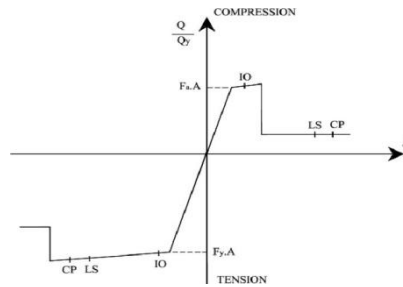


Fig 4: General Structure Response [7]

The calculation of  $R_\mu$ ,  $R_s$  and  $R$  can be done by using the formulas stated in the study done by the authors named Mahmoudi. M and Zaree. M mentioned above in the introduction. The values thus obtained were entered in the tabular column shown below.

### 1.3. Effect of aspect ratio:

Table 2: Seismic parameters values

Seismic Parameter	Aspect ratio	WB	$X_{MB}$	$X_{EB}$	$V_{MB}$	$V_{EB}$	$\Lambda_{MB}$	$\Lambda_{EB}$	$DB_{MB}$	$DB_{EB}$
$R_\mu$	1	1.721	1.921	1.815	1.942	1.909	1.875	1.921	1.856	2.032
	2	2.222	2.585	1.775	1.853	1.952	1.634	1.743	1.811	1.977
	3	1.847	2.256	1.659	1.760	1.866	1.449	1.685	1.742	1.853
	4	1.729	1.987	1.445	1.531	1.885	1.372	1.445	1.642	1.746
	5	1.271	1.871	1.230	1.402	2.291	1.105	1.481	1.602	1.652
$R_s$	1	3.977	3.836	4.602	4.032	4.246	4.120	4.303	3.868	3.979
	2	2.617	2.605	4.116	3.851	3.763	4.029	4.041	3.720	3.795
	3	2.536	2.535	3.941	3.605	3.597	3.859	3.829	3.559	3.580
	4	2.522	2.517	3.804	3.753	3.466	3.613	3.678	3.379	3.400
	5	2.723	2.257	3.667	3.766	2.797	3.287	3.230	3.181	3.220
$R$	1	6.848	7.372	8.355	7.832	8.108	7.727	8.267	7.182	8.087
	2	5.817	6.738	7.309	7.139	7.349	6.587	7.045	6.740	7.505
	3	4.685	6.227	6.542	6.345	6.714	5.594	6.455	6.200	6.636
	4	3.606	5.002	5.500	5.746	6.538	4.960	5.318	5.549	5.941
	5	3.462	4.224	4.513	5.283	6.411	3.634	4.784	5.097	5.321

Note: WB- Normal frame without bracings; X- X bracings; V- V bracings;  $\Lambda$ -Invert V bracings; DB- Diagonal bracings; MB- Middle bay braced; EB-External bays braced

From the above results, the effect of aspect ratio on  $R_\mu$ ,  $R_s$  and  $R$  are shown as follows:

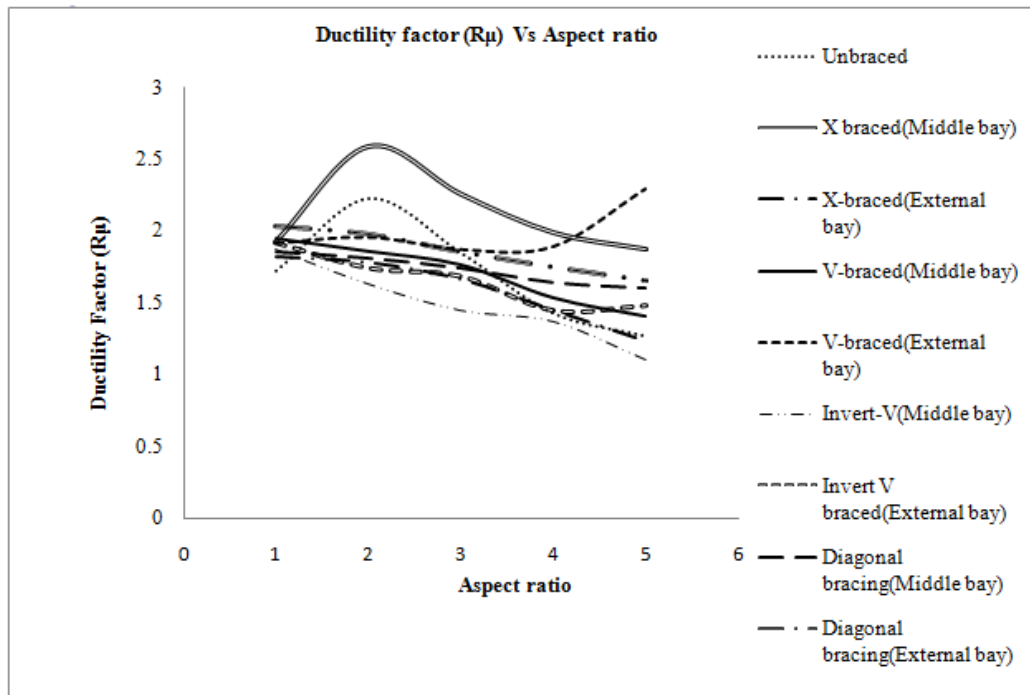


Fig 5: Graph showing Ductility factor ( $R_\mu$ ) Vs Aspect ratio

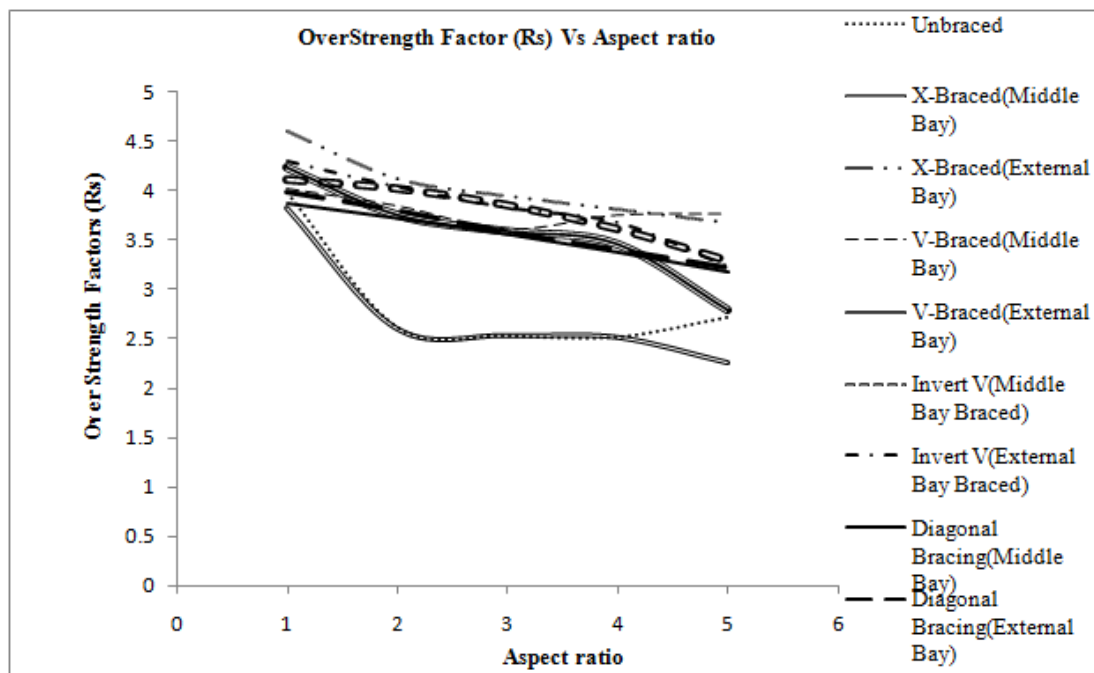


Fig 6: Graph showing over strength factor Vs Aspect ratio

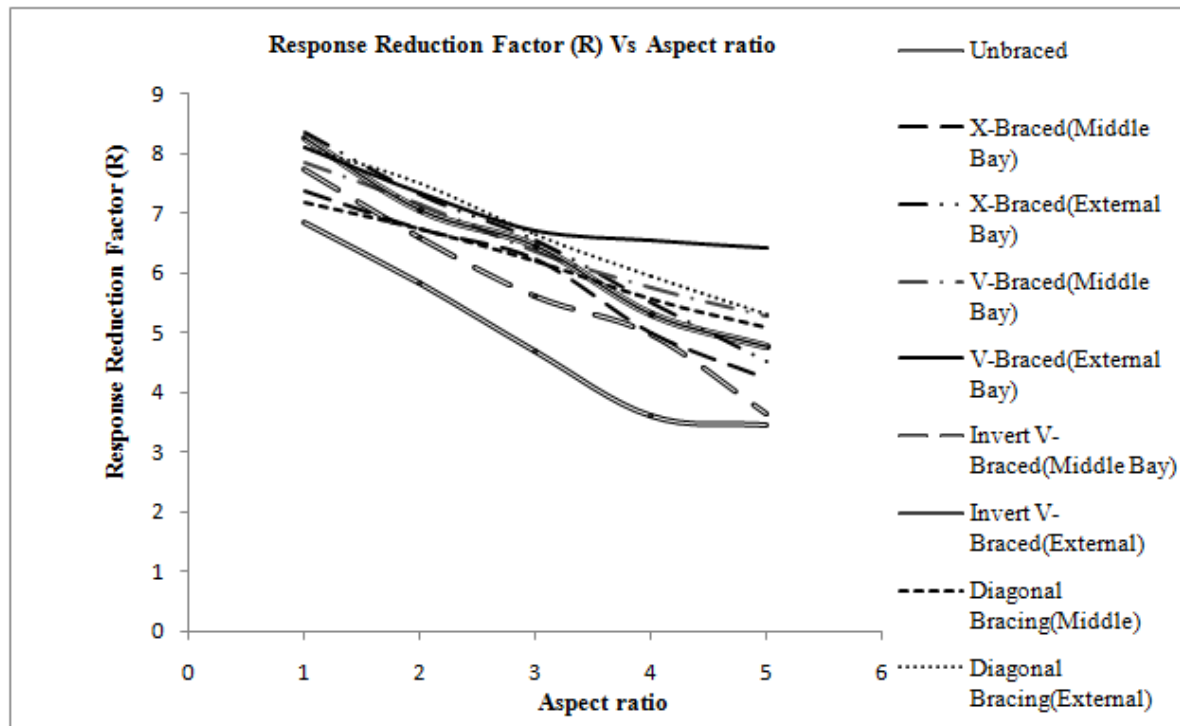


Fig 7: Graph showing response reduction factor Vs Aspect ratio

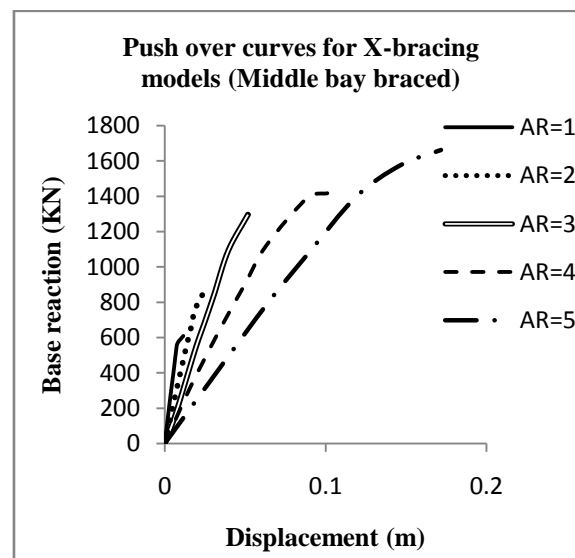


Fig 8: Graph showing Push over curves for X-braced steel frames (Middle bay braced) with aspect ratios ranging from 1 to 5

### III. CONCLUSIONS

This paper has assessed the variables, for example, over strength, ductility reduction, and the response modification factors of around 40 conventional CBFs considering life safety structural performance levels. As such, a static nonlinear (pushover) analysis was performed on the model structures with single (Middle bay) and double (external bay) bracing bays, with different aspect ratios running from 1 to 5 and different concentric



brace configurations. The beam column connections were thought to be pinned so that the seismic force was resisted principally by braces.

The results obtained from this study can be summarized as follows:

- i. With increase in the height of the structure, the ductility reduction factor and over strength factor value decreases for most of the structural models.
- ii. As the response reduction factor (R) is directly proportional to the ductility reduction and over strength factors, R-factor also decreases with an increase in the height of the structure which can be concluded from the obtained results and graphs drawn.
- iii. Hence, response reduction factor (R) is heavily dependent on height of the structure (aspect ratio) and on type of the bracings installed in the steel frame which states that the R-value cannot be taken as a standard value for all steel concentrically braced frames.
- iv. Steel framed structures with Concentric X-bracings are possessing higher ductility reduction, higher over strength and higher response reduction capacities against the seismic forces when compared to Unbraced, V, Invert-V & diagonal concentrically braced steel frame models.
- v. Hence, Steel framed structures with concentric X-bracings are suggestible at higher earthquake prone areas when compared to other V, invert-V & diagonal braced frames.

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